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3D Hydrodynamical Simulations of Helium-ignited Double-degenerate White Dwarf Mergers

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Abstract

The origins of Type Ia supernovae (SNe Ia) are still debated. Some of the leading scenarios involve a double detonation in double white dwarf (WD) systems. In these scenarios, helium shell detonation occurs on top of a carbon-oxygen (CO) WD, which then drives the detonation of the CO core, producing an SN Ia. Extensive studies have been done on the possibility of a double helium detonation, following a dynamical helium mass-transfer phase onto a CO-WD. However, 3D self-consistent modeling of the double-WD system, the mass transfer, and the helium shell detonation have been little studied. Here we use 3D hydrodynamical simulations to explore this case in which a helium detonation occurs near the point of Roche lobe overflow of the donor WD and may lead to an SN Ia through the dynamically driven double-degenerate double-detonation (D6) mechanism. We find that the helium layer of the accreting primary WD does undergo a detonation, while the underlying CO core does not, leading to an extremely rapid and faint nova-like transient instead of a luminous SN Ia event. This failed core detonation suggests that D6 SNe Ia may be restricted to the most massive CO primary WDs. We highlight the nucleosynthesis of the long-lived radioisotope ⁴⁴Ti during explosive helium burning, which may serve as a hallmark both of successful as well as failed D6 events, which subsequently detonate as classical double-degenerate mergers.

Unified Astronomy Thesaurus concepts: Stellar mergers (2157); Hydrodynamics (1963); Nuclear astrophysics (1129); White dwarf stars (1799); Type Ia supernovae (1728)

1. Introduction

Type Ia supernovae (SNe Ia) are important tools in our understanding of the physical universe, producing most of the iron elements in the universe (Jha et al. 2019), and serving as standardizable candles to gauge cosmological distances (Riess et al. 1998; Perlmutter et al. 1999). Constraining the SN Ia stellar progenitors has been a primary focus of research for the last few decades. The discovery of three hypervelocity white dwarfs (WDs) in the Gaia DR2 catalog provided potential observational evidence of the ex-companions of sub- M_{Ch} WDs that underwent SN Ia explosions in a variant of the doubledegenerate scenario of binary WD mergers (Shen et al. 2018b). In this proposed variant of the double-degenerate scenario, dubbed the dynamically driven double-degenerate doubledetonation, or D6 scenario, two carbon-oxygen (CO) WDs with thin surface helium layers remaining from a single stellar evolution can lead to an SN Ia (Shen et al. 2018a). In the D6 scenario, the convergence of the helium detonation front on the accretor causes a second detonation inside the accretor's CO

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core. It is this second detonation in the CO core that completely disrupts the accretor and gives rise to a Type Ia event.

To date, only a handful of simulations have investigated the role of thin helium layers in double-degenerate mergers. Guillochon et al. (2010), Tanikawa et al. (2019), and Pakmor et al. (2022) explored three-dimensional adaptive mesh and smoothed particle hydrodynamical (SPH) simulations of merging with sub- $M_{\rm Ch}$ WDs containing helium envelopes. Pakmor et al. (2021) have studied dynamical mass-transfer of helium from a hybrid HeCO WD (see Perets et al. 2019; Zenati et al. 2019 for discussion of SNe Ia from hybrid HeCO disruptions) onto a 0.8 M_{\odot} CO WD (with no initial helium envelope) using the 3D moving-mesh code AREPO. Pakmor et al. (2022) demonstrated a successful D6 scenario with a 1.05 M_{\odot} primary, a 0.7 M_{\odot} secondary WD, and a total helium mass of 0.06 M_{\odot} ; all other models have not led to the detonation of the CO WD primary.

In this paper, we address several key questions concerning the D6 scenario. Specifically, how does the surface helium detonation develop under realistic conditions including the full three-dimensionality of the accretion stream and rotation? Under what conditions does the D6 scenario detonate the accretor core, and lead to a successful SN Ia event? Under what conditions does the scenario fail to detonate the accretor core? When the scenario ignites only the helium surface layer on the accretor, what are the signatures of the transient, its nucleosynthetic products, and what are the implications for the subsequent merger of the two CO WDs?

In order to address these key science questions, we perform three-dimensional hydrodynamical simulations of the full binary WD system, with a massive primary CO $(1\,M_\odot)$ WD and a typical $0.6\,M_\odot$ mass CO WD donor. Both WDs have thin surface helium layers. The full three-dimensionality ensures that the geometry of the accretion stream is fully captured and that artificial symmetries imposed in two-dimensional and three-dimensional nonrotating simulations are broken. We

the surface helium was lost from the donor. In the following, we reckon t = 0 relative to this remapping time. At the moment of mapping, the separation between the centers of mass of the white dwarfs is 2.43×10^4 km.

We use the scatter algorithm to initialize the FLASH grid from the SPH data. This method involves the smoothing of properties of the particles at a particular cell on the grid by adding the weighted contributions of all the particles. We use the cubic piecewise smoothing kernel given in Equation (1) to map the SPH hydrodynamical primitive fields to the AMR grid (Hernquist & Katz 1989):

$$W(|\vec{r} - \vec{r_j}|, h_j) = \begin{cases} \frac{1}{\pi h_j^3} \left\{ 1 - \frac{3}{2} \left(\frac{|\vec{r} - \vec{r_j}|}{h_j} \right)^2 + \frac{3}{4} \left(\frac{|\vec{r} - \vec{r_j}|}{h_j} \right)^3 \right\} & 0 \leqslant \frac{|\vec{r} - \vec{r_j}|}{h_j} \leqslant 1 \\ \frac{1}{\pi h_j^3} \left\{ \frac{1}{4} \left[2 - \left(\frac{|\vec{r} - \vec{r_j}|}{h_j} \right) \right]^3 \right\} & 1 < \frac{|\vec{r} - \vec{r_j}|}{h_j} \leqslant 2 \\ 0 & \frac{|\vec{r} - \vec{r_j}|}{h_j} > 2 \end{cases}$$
(1)

present our work with the simulation setup and convergence study in Section 2, results in Section 3, and conclusions and discussion in Section 4.

2. Simulation Setup

We explore the role of helium in double-degenerate mergers, choosing a $1\,M_\odot$ CO WD accretor and $0.6\,M_\odot$ CO WD donor. Both WDs have a carbon-to-oxygen mass ratio of ~ 0.67 (Umeda et al. 1999; Córsico et al. 2019), and each also begins with $0.01\,M_\odot$ of helium on their surfaces and $\sim 0.01\,M_\odot$ of helium in the accretion stream. We have chosen the mass of the helium layer on the primary to be higher than the lower limit needed for a detonation in a double-degenerate system (Kato et al. 2008). The helium masses are within the upper limit of the critical mass of $0.05\,M_\odot$ (Ruiter et al. 2014); thicker helium layers (> $0.05\,M_\odot$) in the WDs will have helium ash products produced after the detonation, which is in tension with the observed spectra (Woosley & Kasen 2011) and will not be considered here. It is also not clear whether such thicker helium layers can survive on massive WDs without nuclear burning beforehand (Shen & Bildsten 2009).

Our hydrodynamical simulations take advantage of both the mesh-free Lagrangian and grid-based Eulerian methods. Our initial conditions are generated by building upon the strengths of each method. Specifically, the SPH method is able to accurately model the inspiral phase of the merger and the initial stages of mass accretion over many orbits, while the FLASH AMR grid captures hydrodynamical instabilities and detonation fronts accurately. The SPH simulation (Lorén-Aguilar et al. 2010; Bobrick et al. 2017) of the double-degenerate merger follows the WD binaries using the Helmholtz equation of state (Timmes & Swesty 2000) through a point where dynamical burning becomes important. The SPH data, with a resolution of $2.956 \times 10^{-6} M_{\odot}$ per particle (5.5×10^{5} SPH particles) is then mapped to the FLASH Eulerian adaptive mesh refinement (AMR) code (Fryxell et al. 2000) at a time when about half of

$$A(\vec{r}) = \sum_{j=0}^{N} m_j \frac{A_j}{\rho_j} W(|\vec{r} - \vec{r_j}|, h_j).$$
 (2)

Here, h_j is the smoothing length of the jth particle at $\vec{r_j}$, and A_j represents any of the primitive hydrodynamic fields (density, velocities, and temperature) of the jth particle being mapped to the AMR cell centered at location \vec{r} . After mapping the hydrodynamic primitive fields to the cells and converting to the conservative hydrodynamic basis, the calculation of the internal energy and the pressure on the AMR mesh is then performed using the same Helmholtz equation of state used by both codes.

The 3D AMR computational domain is set to be 5.6×10^5 km in length in each spatial dimension, with diode boundary conditions on all sides. We employ a mass-based resolution criterion, ensuring that no cell exceeds 5×10^{26} g. A temperature-based refinement is also employed with a threshold value of 10^9 K. In both cases, after a refinement trigger is reached within a cell, the whole block is refined. We use the directionally unsplit hydro solver available in FLASH for hydrodynamics and a modified multipole gravity solver (Couch et al. 2013) up to l=60 for the self-gravity calculations, with isolated boundary conditions. We undertook a series of four simulations of increasing finest grid resolution, from 136 to 17 km. To capture the nuclear energetics of the burning, we incorporate the 19 isotope alpha chain nuclear network Approx 19 (Timmes 1999) into our hydrodynamical simulations.

3. Results

In this section, we present 3D hydrodynamical simulations of the double-degenerate merger.

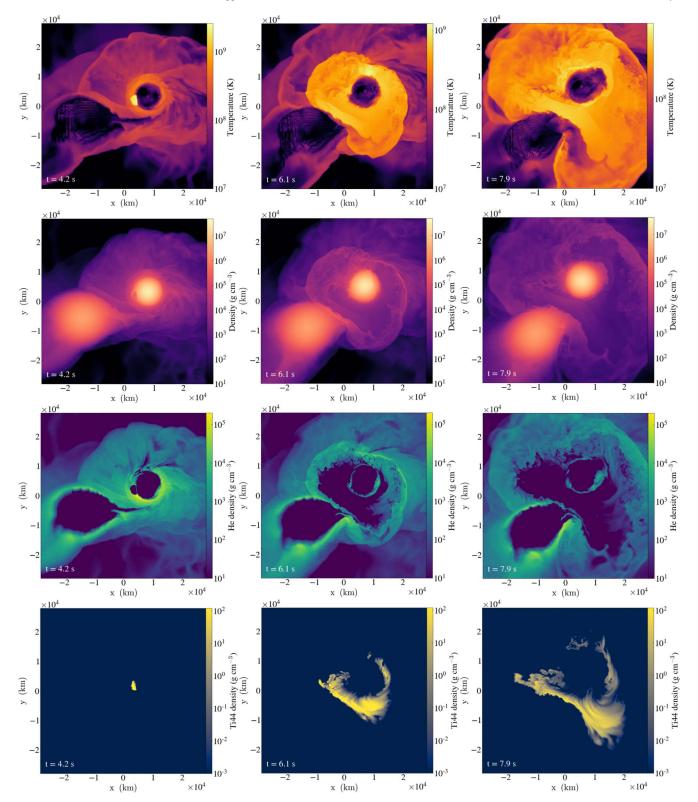


Figure 1. Evolution of key hydrodynamic and nucleosynthetic quantities through the Z = 0 midplane during and after the helium detonation on the accretor. From top to bottom, the temperature, mass density, ⁴He, and ⁴⁴Ti mass densities are shown at times t = (4.2, 6.1, 7.9) s, at a resolution of 17 km.

3.1. Helium Detonation

As the accretion stream transports mass from the donor to the accretor, Kelvin-Helmholtz instabilities occur along the interface of the accretion stream with the outer layers of the

accretor. When the eddy turnover timescale in such a turbulent environment becomes comparable to the local burning timescale, the turbulent heating may give rise to a detonation (Shen & Moore 2014; Fisher et al. 2019). The detonation front

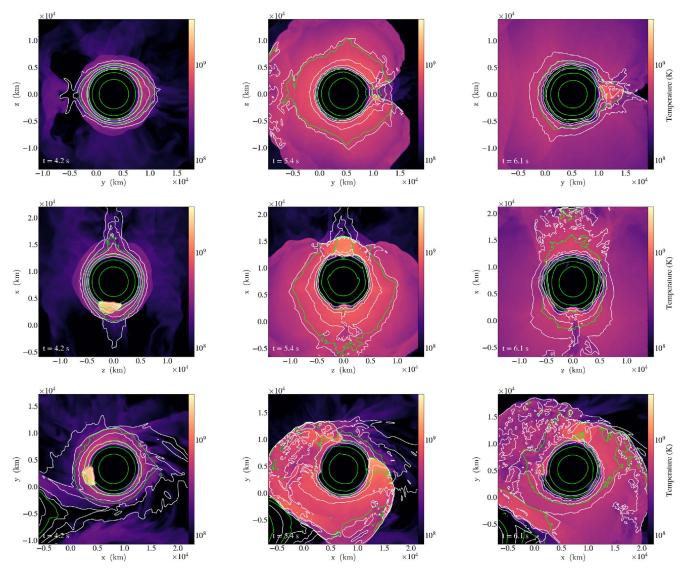


Figure 2. Density (white) and pressure (lime) contours overlaid on 2D temperature slice plots along the X = 0 (top row) midplane, and corresponding planes along the Y (middle row) and Z (bottom row) at times (4.2, 5.4, 6.1) s for a resolution of 17 km.

initiated in the helium surface layers of the accretor then propagates, both as a detonation front wrapping around the helium layer and also as a nonburning shock front through the CO core.

At the time of mapping, as mentioned above, helium is distributed in near-equal amounts of $0.01\,M_\odot$ on the donor, accretor, and the disk in between, with the donor losing about half of its initial helium mass. Among all the mass lost by the donor, helium contributed 0.31 by mass, the rest comprised a CO mixture. Therefore, He, C, and O are mixed in comparable proportions in the disk near the primary. By the moment of ignition, the amount of helium on the donor and accretor changes from this initial value by less than 10%.

In Figure 1, key physical quantities of the simulation are presented as slice plots through the z=0 midplane at three different moments (t=4.3, 6.3, 7.9 s). In the left column of panels, the temperature, density, ⁴He density, and ⁴⁴Ti density profiles are shown at the time when detonation starts in the helium layer. The detonation fronts then propagate over the surface of the accretor and collide, but fail to detonate the underlying CO core, as shown in the middle column of the

figure. The expanding detonation front is strong enough to affect the dynamics of the accretion stream. The rightmost plots depict a time when the detonation front has swept over the accretion stream, temporarily disrupting the accretion and ablating helium from the donor's surface. We note that in these simulations, the expanding helium front does not ignite the surface helium on the secondary.

Another key feature of the helium density profile on the accretor is its asymmetry. The helium envelope is oblate, owing to rotation. The departure from spherical symmetry is most evident in the outer envelope along cross slices through the *X* and *Y* midplane, visible in Figure 2 (the first entry in the top row and the first entry in the middle row). We see that the outer density contours are indeed stretched along the *Y*-axis, with the innermost density contours approaching spherical symmetry. Further, looking at the position of the helium detonation initiation, it is also evident that the runaway nuclear reaction in this layer starts from a point, which is within this accretion plane.

Soon after the burning and ablation phase has taken place, the accretion stream from the accretor is revived, and again

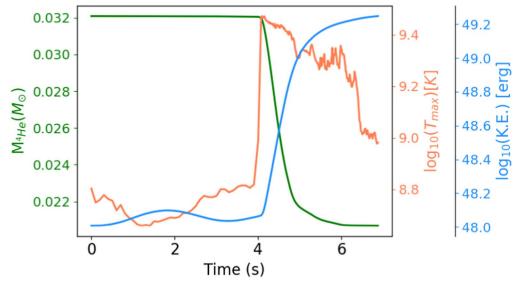


Figure 3. Evolution of global maximum temperature, kinetic energy (excluding rotational kinetic energy), and total ⁴He budget in the computational domain. This plot shows the initial helium detonation at t = 4.1 s and the subsequent collision of detonation fronts at $t \sim 6$ s.

 Table 1

 Bound and Unbound Nucleosynthetic Yields of Key Species

Species	Bound Mass (M_{\odot})	Unbound Mass (M_{\odot})
⁴ He	1.6 ×10 ⁻²	4.68×10^{-3}
¹² C	6.32×10^{-1}	3.371×10^{-3}
¹⁶ O	9.41×10^{-1}	1.515×10^{-3}
²⁰ Ne	2.572×10^{-3}	3.473×10^{-4}
24 Mg	2.58×10^{-3}	5.17×10^{-4}
²⁸ Si	5.73×10^{-3}	2.693×10^{-3}
³² S	2.144×10^{-3}	1.435×10^{-3}
³⁶ Ar	2.011×10^{-3}	1.988×10^{-3}
⁴⁰ Ca	1.574×10^{-3}	2.698×10^{-3}
⁴⁴ Ti	7.02×10^{-5}	1.567×10^{-4}
⁴⁰ Ca ⁴⁴ Ti ⁴⁸ Cr ⁵² Fe	5.24×10^{-7}	1.262×10^{-6}
⁵² Fe	1.553×10^{-9}	4.03×10^{-9}

Notes. The final total bound mass is $1.606 M_{\odot}$ and unbound mass $1.94 \times 10^{-2} M_{\odot}$. Species with masses lower than $10^{-9} M_{\odot}$ are not included here.

helium begins to accumulate on the surface of the primary. Such a revival of accretion may result in a second helium surface detonation before the helium budget of the system is completely exhausted. The outcome could either be a successful CO core detonation or the disruption of the donor and the complete merger of the system, similar to a canonical double-degenerate merger.

While the helium surface burning on the primary produces no significant amount of 56 Ni, the burned material is relatively abundant in intermediate-mass elements, including 28 Si, 40 Ca, as well as the radioisotope 44 Ti (Table 1). 44 Ti is a key radioisotope owing to its long half-life of 60 yr and has been directly detected through gamma rays in galactic SNRs Tycho and Cas A (Weinberger et al. 2020a). The mass density of 44 Ti is shouther that 44 Ti is nucleosynthesized during surface helium burning on the primary, as earlier simulations have found in the context of the double-detonation scenario (Woosley et al. 1986). The detonation initiation is seen in the 17 km resolution run in the temperature slice plot in the top-left corner of Figure 1, taken through the Z=0 midplane t=4.2 s after the start of the

FLASH simulation. The detonation fronts then propagate and collide when they reach a nearly opposite point on the accretor, giving rise to a second high-temperature peak after the detonation at $t=6.1\,\mathrm{s}$. These times are readily identifiable from the time history of the global helium mass, shown in Figure 3.

Figure 3 also shows the evolution of kinetic energy, excluding rotational energy, as a global quantity in the simulation domain. The global kinetic energy increases with time after helium detonation initiation and reaches its peak shortly after the detonation front collision. If the high temperatures in the shock collision region occur in the CO-rich region of the accretor, a runaway nuclear reaction would be produced in the CO core, causing an SN Ia. However, in our simulations, the peak temperatures reached in the CO core remain well below the critical temperatures required for detonation initiation, and the CO core does not undergo a detonation.

An important result unique to the fully three-dimensional simulations of the binary presented here, which include rotation, is the geometry of the helium detonation front and the collision region. To constrain the geometry of the collision region, we overlay the density and pressure contours on top of 2D slice plot of temperature on the accretor through three different planes (Figure 2). The upper and lower limits of the five density contours have been selected as 5×10^3 g cm⁻³ and 5×10^5 g cm⁻³ and those of the pressure has been chosen as 5×10^{20} dyne cm⁻² and 5×10^{24} dyne cm⁻², respectively. The density and location of the collision region are sensitive to the resolution. For resolutions of 136-17 km, the density at the region of collision increases from 1.86×10^5 g cm⁻³ to 5.48×10^5 g cm⁻³. The location varies from approximately 6000 km away from the center of the accretor in the lowest resolution run to 8500 km at the highest resolution. Pressure and temperature at the point of shock convergence are found to be 1.47×10^{23} dyne cm⁻² and 2.30×10^9 K, respectively, in the 17 km run. Just before the onset of detonation, the ¹²C, ¹⁶O, and ⁴He mass fractions at the point of ignition were 0.22, 0.33, and 0.45, respectively, indicating the initiation location had an admixture of helium and underlying CO. This helium-enriched

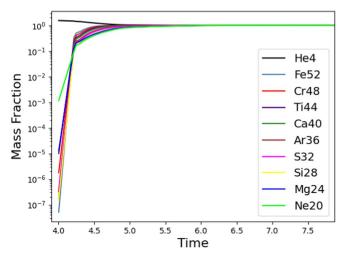


Figure 4. Temporal evolution of nucleosynthetic abundances where mass fractions shown are normalized to the final value for each isotope.

material composition was formed during the preceding several orbits of evolution, as modeled in SPH. Shen & Moore (2014) suggest such a pollution of CO in the helium layer may enhance the possibility of a helium detonation.

3.2. Convergence Study of the Helium Detonation

We present here the convergence of the helium detonation in terms of increasing resolutions of 136 km, 68 km, 34 km, and 17 km. The temperature at the location of helium detonation initiation ranges from 2.38×10^9 K to 2.93×10^9 K with maximum resolutions of the domain ranging from 136 km to 17 km, respectively. As the resolution is increased, the maximum temperature approaches convergence. Specifically, the maximum temperature increases by 21.4% from 136 km to 68 km. The fractional temperature deviation becomes 0.6%, with the subsequent increase of resolution to 34 and 17 km, which is a clear indication of the convergence. Next in order, the temperature at the point of shock front convergence ranges from 2.03×10^9 K to 2.30×10^9 K with the above-mentioned range of resolutions. However, owing to the rotationally induced broken symmetry of the system, even with the highest resolution of 17 km, this temperature is not enough to trigger a second detonation in the CO core.

3.3. Nucleosynthetic Abundances

Figure 4 depicts the evolution of the global nucleosynthetic abundances of the key species after detonation initiation, over the domain throughout time. It is clear that there is no significant continued burning at the endpoint of the simulation. The mass fractions of $^{12}\mathrm{C}$ and $^{16}\mathrm{O}$ have not been included in this figure as they are dominated by the unburned donor and accretor, and consequently remain close to constant global values. The total amount of helium at the beginning of simulation is $0.032~M_{\odot}$. After nuclear burning, the amount of helium remaining becomes approximately $0.021~M_{\odot}$. Consequently, the total helium budget of the system decreased by roughly 34% over this cycle of mass accretion and burning.

At the onset of the helium detonation, there is a sharp increase in intermediate-mass products such as ²⁰Ne and ²⁸Si but without a subsequent increase of ⁵⁶Ni. The burning pollutes the accretor with intermediate-mass elements, including ²⁰Ne, ²⁸Si, and ³²S. The helium explosion ash on the primary can

potentially impact the energetics of a possible second helium detonation upon the revival of the accretion stream, owing to the increased abundance of alpha-capture heavy nuclei within the surface layers.

4. Conclusion

Our simulations of helium-ignited WD mergers exhibit a primary helium detonation but do not immediately achieve a double detonation in the accretor. The first helium detonation fails to create core-detonation conditions even at spatial resolutions as high as 17 km. The direct outcome of this model will therefore be a faint helium nova, observable at galactic distances. Shen et al. (2010) proposed that such a dynamical helium detonation event would produce a faint transient called ".Ia", but ".Ia" events are far more luminous than those expected in our models, where a very small amount of He is burned and very little radioactive materials are produced. The resulting outburst might be comparable to helium novae, like V445 Puppis (Kato & Hachisu 2003; Goranskij et al. 2010). Consecutive helium detonations might also take place as a result of accretion before the donor fully disrupts. The system could possibly then give rise to a recurrent helium nova over the accretion timescale of the helium stream.

A caveat of these simulations is the relatively modest size of the 19 isotope nuclear network, which suffices for carbon and oxygen burning but may have limitations for helium burning. It has been suggested by some authors that larger (55+ isotopes) networks may better capture the energetics of helium burning (Townsley et al. 2019) during double detonations. However, even with the 19 isotope network, our models have shown that helium detonation occurs. If a larger network were to produce a stronger detonation, it might assist in enhancing the converging shock front into the CO core, but it might also produce an earlier helium detonation, with less accreted material available. So it is unclear what effect a larger nuclear network will have upon the CO core detonation. We do note that Pakmor et al. (2021) used a larger network and found comparable energetics to what we found here when exploring a similar-mass CO WD accretor.

The WDs in our simulations survive the initial phase of helium burning, the accretion stream will revive, and the accretor will continue to accrete carbon, oxygen, and helium from the donor. This accretion process can end with a total disruption of the donor and a classic double-degenerate merger. The majority of the helium will have burned, and only traces will remain. We cannot rule out that a fraction of these mergers may then subsequently detonate and produce a normal SN Ia. Consequently, the failed core detonation within a majority of binary WD mergers may account for the relatively few hypervelocity WDs found in the Gaia catalog, in comparison to the much larger numbers expected if the D6 channel were to account for all normal SNe Ia. Alternatively, other scenarios such as the complete detonation of the donor immediately after the detonation of the primary may also provide an explanation for the observed number of hypervelocity WDs (Pakmor et al. 2021). Alternatively, less massive systems may survive intact, as recently found among Gaia WDs Kilic et al. (2018). Future observational tests should be able to discriminate between these outcomes.

Our simulations demonstrate that ⁴⁴Ti is produced during explosive helium burning in WD mergers in yields comparable to those of core-collapse SN remnants (SNRs) (Weinberger

et al. 2020a). In the simulations presented here, the helium is burned in the minutes before the final merger of the white dwarfs, which could give rise to an SN Ia through a classical double-degenerate merger scenario if the continued helium accretion fails to detonate the primary CO core. In another recent study (Pakmor et al. 2022), the surface helium yields a successful SN Ia. Crucially, because this phase of surface helium burning must occur in any WD merger, the 44Ti produced during explosive helium burning is a hallmark of the double-degenerate channel itself. Specifically, the doubledegenerate channel must necessarily involve the merger of two sub- $M_{\rm Ch}$ WDs with some surface helium on the primary and the secondary. The amount of $^{44}{\rm Ti}$ produced in explosive helium burning in both our simulations and those of Pakmor et al. (2022) spans the range of $\sim 10^{-4}$ – $10^{-3} M_{\odot}$, nearly one to two orders of magnitude greater than the yields found during alpha-rich freezeout in near- $M_{\rm Ch}$ WDs (Leung & Nomoto 2018). Thus, $^{44}{\rm Ti}$ is a crucial diagnostic that separates the broad class of double-degenerate mergers of sub- $M_{\rm Ch}$ WDs, whether by a D6 or a classical merger, from the canonical single-degenerate near- $M_{\rm Ch}$ SN Ia scenario.

The 44 Ti produced is observable in γ -rays for galactic SNe Ia and SNRs, as well as in the late-time optical light curves of SNe Ia in nearby galaxies, potentially long afterwards any associated SN Ia, due to its 60 yr half-life (Woosley et al. 1986; The et al. 2006). Of the SNe Ia SNRs, only SNR 1572 (Tycho) has a detection of 44 Ti; Kepler and G1.9+0.3 have upper bounds only (Weinberger et al. 2020). INTEGRAL/IBIS inferred a 44 Ti mass for Tycho of $1.5 \pm 1 \times 10^{-4} M_{\odot}$ (Renaud et al. 2006), consistent with our calculated 44 Ti yield. Additionally, the INTEGRAL/IBIS upper bounds of 44 Ti mass of SNe Ia SNRs Kepler and G1.9+0.3 are $4 \times 10^{-4} M_{\odot}$ and $0.3 \times 10^{-4} M_{\odot}$, respectively (Weinberger et al. 2020). Our calculated 44 Ti yield is within the upper bound for Kepler but a factor of 3 higher than the upper bound for the young remnant G1.9+0.3.

An even larger amount of 44 Ti, as inferred by Pakmor et al. (2022), would herald a D6-like event; the range of inferred gamma-ray fluxes spanning both sets of helium-ignited WD merger simulations for a galactic event at a distance of 10 kpc is $\sim \times 10^{-4} - 10^{-3} \ \gamma \ \rm cm^{-2} s^{-1}$, much larger than the measured flux from Cas A several centuries after its explosion. Thus, if helium burning is followed by a relatively prompt detonation of the primary WD, the 44 Ti gamma-ray flux from a galactic or near-galactic SN Ia event will be detectable with INTEGRAL or similar MeV gamma-ray missions. Such a strong 44 Ti gamma may distinguish any SN Ia originating from a DD merger, whether through a D6-like transient or through a complete merger of the WD system in a classical double-degenerate scenario, from events from canonical near- $M_{\rm Ch}$ SNe Ia.

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Software: FLASH 4.0.1 (Fryxell et al. 2000; Dubey et al. 2012), FLASH SN Ia module Townsley et al. (2016) (http://pages.astronomy.ua.edu/townsley/code), yt (Turk et al. 2011), Python programming language (van Rossum & de Boer 1991), Numpy (van der Walt et al. 2011), IPython (Perez & Granger 2007), Matplotlib (Hunter 2007).

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